

# **ENERGY STAR Building Benchmarking Scores: Good Idea, Bad Science**

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## **ABSTRACT**

The EPA introduced its ENERGY STAR building rating system 15 years ago. In the intervening years it has not defended its methodology in the peer-reviewed literature nor has it granted access to ENERGY STAR data that would allow outsiders to scrutinize its results or claims. Until recently ENERGY STAR benchmarking remained a confidential and voluntary exercise practiced by relatively few.

In the last few years the US Green Building Council has adopted the building ENERGY STAR score for judging energy efficiency in connection with its popular green-building certification programs. Moreover, ten US cities have mandated ENERGY STAR benchmarking for commercial buildings and, in many cases, publicly disclose resulting ENERGY STAR scores. As a result of this new found attention the validity of ENERGY STAR scores and the methodology behind them has elevated relevance.

This paper summarizes the author's 18-month investigation into the science that underpins ENERGY STAR scores for 10 of the 11 conventional building types. Results are based on information from EPA documents, communications with EPA staff and DOE building scientists, and the author's extensive regression analysis.

For all models investigated ENERGY STAR scores are found to be uncertain by  $\pm 35$  points. The oldest models are shown to be built on unreliable data and newer models (revised or introduced since 2007) are shown to contain serious flaws that lead to erroneous results. For one building type the author demonstrates that random numbers produce a building model with statistical significance exceeding those achieved by five of the EPA building models.

## **Introduction**

Building energy benchmarking aims to determine how well a particular building performs with regard to energy use as compared with an appropriate peer group of buildings. The favored metric for this comparison has been the annual energy use intensity (EUI), calculated by dividing a building's annual energy use by its total gross square footage (gsf). Annual energy used on site, called *site energy*, is readily determined by totaling monthly energy purchases after first converting fuel quantities to a common energy unit, typically Btu.<sup>1</sup>

Site energy, however, fails to account for the off-site losses incurred in producing the energy and delivering it to the building – particularly important for electric energy that, on average, is generated and distributed with 31% efficiency [APS, 2008]. The *EPA* defines *source energy* to account for both on- and off-site energy consumption associated with a building. Source energy is calculated by totaling annual energy purchases after multiplying each by a fuel-dependent, site-to-source energy conversion factor [EPA SourceE].

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<sup>1</sup> For site energy calculations 1 kWh of electric energy is equivalent to 3,416 Btu, 1 Ccf of natural gas is equivalent to 100,000 Btu, etc.

The best source of energy consumption data for commercial buildings traditionally has been the Energy Information Administration's (EIA) *Commercial Building Energy Consumption Survey* that has been conducted every 4-5 years since 1989, with some notable exceptions [CBECS]. The last such survey was completed in 2003 and the EIA is now finalizing its 2012 survey. The 2003 survey contains 5,215 records, each record corresponding to data gathered from one sampled building. Collectively these data represent an estimated 4.9 million buildings and 72 billion gsf in the U.S. commercial building stock. Hundreds of pieces of information are gathered for each sampled building including data for energy use, occupancy, equipment, and function.

The simplest form of benchmarking involves comparing a particular building's EUI with gross EUI for the entire U.S. building stock.<sup>2</sup> Of course a hospital is expected to use more energy than an office building, so such broad comparisons have limited value. CBECS identifies about 20 different building types in its sampling, allowing one to determine national gross EUI for a specific peer group – say just hospitals. CBECS does not identify the location for each of its samples but it does identify five climate zones and nine census divisions. To obtain a more relevant peer group one can extract CBECS records filtered on such criteria. But with only 5,215 sampled buildings in CBECS, filtering on more than building type and census division may yield only a handful of buildings in the selected peer group – with correspondingly large uncertainties in their gross EUI and other statistics.

In the late 90's the EPA borrowed methodology then being developed at DOE labs to apply regression analysis to CBECS data for benchmarking purposes [Sharp, 1996; Sharp 1998]. The idea is this. Suppose one intends to benchmark, say, an office building in Topeka, KS. There may not be a single sampled office building in CBECS that matches many of the characteristics of the one to be benchmarked. But CBECS does include office buildings that are both larger and smaller, ones that are older and newer, and so on. Multivariate linear regression analysis is applied to all CBECS office buildings to see how their energy use depends on such variables. The resulting regression coefficients may then be used to predict the energy use of a hypothetical building with characteristics similar to those of the one to be benchmarked. Regression analysis has the potential to yield the best of both worlds – the specificity of a narrowly defined CBECS query with the statistics of the larger sampled dataset.

The EPA introduced its ENERGY STAR benchmarking system and score nearly 15 years ago. The ENERGY STAR score is an index from 1-100 which is supposed to represent a building's percentile energy efficiency ranking with respect to similar buildings nationally. Over the years the EPA has developed ENERGY STAR models (i.e., scoring systems) for 11 conventional building types, listed in Table 1. The earliest ENERGY STAR building models were based on 1995 CBECS data. Models were revised as newer data became available.

From the outset the EPA's ENERGY STAR scoring system was a voluntary benchmarking tool intended to encourage energy efficiency [Janda and Brodsky, 2000]. Building data submitted to *Portfolio Manager* (the EPA's web-based tool for calculating scores) and ENERGY STAR scores issued by the EPA are confidential – unless a building seeks and receives ENERGY STAR certification, in which case its score is 75 or higher and public disclosure holds little risk of embarrassment. The EPA has not defended or justified its methodologies in any peer-reviewed venues. And, while, for marketing purposes, the EPA

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<sup>2</sup> Gross EUI for a set of buildings is defined to be their total annual energy use divided by their total gsf.

releases selected statistics from data entered into Portfolio Manager it does not otherwise grant others access to these data, making it nearly impossible for anyone outside the EPA to scrutinize their program, claims, or results.

Table 1. Table summarizing models for 11 conventional building types where n is the number of samples in the regression dataset, N the number of U.S. buildings they represent, R<sup>2</sup> the goodness of fit for the model regression, and n<sub>50</sub> is the number of samples which collectively represent 50% of the corresponding national building stock.

ENERGY STAR Building Models	Latest revision	Data Source	regression dataset				# ind. Variables	
			n	N	R <sup>2</sup>	n <sub>50</sub>	explore	final
Residence Hall/Dormitory	Jan-04	CBECS 1999	79	35,000	88%	5	n.a.	4
Medical Office	Feb-04	CBECS 1999	82	87,000	93%	8	n.a.	5
Office/Finance/Bank/Court	Oct-07	CBECS 2003	498	250,000	33%	53	27	9
Retail	Oct-07	CBECS 2003	182	152,000	71%	30	21	9
Supermarket/Grocery	Jul-08	CBECS 1999/2003	83	24,000	51%	9	17	7
Hotel	Feb-09	CBECS 2003	142	54,000	37%	30	32	6
K-12 School	Feb-09	CBECS 2003	353	300,000	27%	70	28	11
House of Worship	Aug-09	CBECS 2003	269	250,000	37%	59	27	8
Warehouse	Aug-09	CBECS 2003	277	190,000	40%	39	26	8
Senior Care	Mar-11	Industry survey	553	31,000	43%	85	42	10
Hospital	Nov-11	Industry survey	191		22%		26	4

In the last five years this relatively benign, voluntary benchmarking program has evolved into something else. In 2012 the EPA published quantitative claims regarding energy savings associated with its ENERGY STAR benchmarking program [EPA DataTrends, 2012]. External organizations including the U.S. Green Building Council have adopted the ENERGY STAR score as their metric for energy efficiency for green building certification [USGBC]. And a growing number of U.S. cities have passed laws requiring owners to benchmark their commercial buildings using the EPA's *Portfolio Manager* and, in many cases, the resulting ENERGY STAR scores are being made public [IMT]. Benchmarking is no longer a voluntary, confidential exercise – it is mandatory and real, testable energy claims are being made based upon ENERGY STAR scores.

This expanded use of the EPA's benchmarking system and, in particular, the public disclosure of thousands of building ENERGY STAR scores heightens the need to understand the validity of these ENERGY STAR scores and the methodology on which they are based. For instance I found ENERGY STAR scores for large office buildings in New York City's publicized 2011 benchmarking data to be unusually high [Scofield, 2013]. David Hsu analyzed an expanded, confidential NYC 2011 benchmarking data set and found evidence for significant uncertainties in office ENERGY STAR scores [Hsu, 2014]. There is mounting evidence to justify a closer look at the methodology and data on which these scores are based.

Here I summarize the results of an 18-month investigation into the science that underpins the EPA's building ENERGY STAR scores. During this time I have examined, in detail, 10 of the EPA's 11 conventional building models. Information has been gathered from EPA *Technical Methodology* documents, phone and email exchanges with EPA staff as well as building scientists at Oak Ridge and Berkeley National Laboratory, and EPA documents obtained through

*Freedom of Information Act* (FOIA) requests. I have also conducted extensive regression analysis on data that underpin each of the ten building models.

## Common Methodology for Producing an ENERGY STAR Score

Below I summarize the key technical steps for developing an ENERGY STAR building model for a particular type of building [EPA ES-TM]. This description is no-doubt an oversimplification but provides an adequate description for understanding the rest of this paper.

The first step in the EPA's model development is to acquire data from a large number of buildings of a specific building type for use in its linear regression. These data are here referred to as the *regression dataset*. The EPA examines these data to identify suitable independent variables for the regression – ones which demonstrate significant correlation with building source energy use. Once the regression variables have been identified their regression coefficients may be used to predict the source energy use for any building of this type for which data corresponding to the regression independent variables are available. If the benchmarked building uses less *source energy* than predicted it is judged to be more energy efficient than its *peer group*. The EPA defines a building's *Energy Efficiency Ratio* or EER to be the ratio of its *measured source energy* to its *predicted source energy*.<sup>3</sup> (Of course source energy is not directly measured – it is calculated from measured fuel purchases.)

The second step in model development is to generate a distribution of EER's for the national stock of buildings of this particular type. This requires a second model dataset, here called the *stock dataset*. For most models the regression dataset and stock dataset are identical, or nearly so.<sup>4</sup> The stock dataset contains n samples, indexed  $j = 1, 2, \dots, n$  which, with their weights ( $w_j$ ), represent a total of  $N = \sum w_j$  buildings in the commercial building stock. The model regression parameters are combined with data from this *stock dataset* to calculate the EER for each sampled building. The data are then sorted in order of increasing EER and combined with the building weights to form a cumulative EER distribution for the national stock of this particular building type. Such a distribution is graphed in Figure 1 for the EPA's 2007 Office building model [EPA Office, 2007].

Steps 1-3 above complete the development of an ENERGY STAR building model. Once the model is completed the ENERGY STAR score for a particular building is readily determined from its EER. The ENERGY STAR score is an index (1-100) corresponding to the percentage of similar buildings in the national building stock that have higher EER's. Referring to Figure 1, an office building with an EER = 0.50 receives an ENERGY STAR score of 90 since only 10% of office buildings nationally have lower EER values.

Note step 2 of the methodology guarantees that the mean score for the represented building stock will be 50. Moreover, the distribution of scores for the entire building stock will be uniform – that is, 10% of buildings will have scores from 1-10, another 10% will have scores from 11-20, and so on.

The above approach generally applies to all 11 of the conventional ENERGY STAR building models. There are, however, important differences that must be considered on a model

<sup>3</sup> This is not quite correct. For early models the EPA performed its regression on the natural logarithm of the source energy, and the  $EER = \ln(\text{measured source energy}) / (\text{predicted } \ln(E))$ . After 2007 the EPA performed its regression on the source EUI and defined the  $EER = (\text{measured EUI}) / (\text{predicted EUI})$ .

<sup>4</sup> Typically a few outliers are removed from the stock dataset to form the regression dataset.

by model basis. In Section 3 below I consider the two oldest building models (Medical Offices and Residence Halls/Dormitories). In Section 4 I look at the Office building model whose 2007 revision represented a significant shift in methodology from that used previously. In Section 5 I look at other models developed after 2007 whose methodologies are similar to that employed for the 2007 Office model.

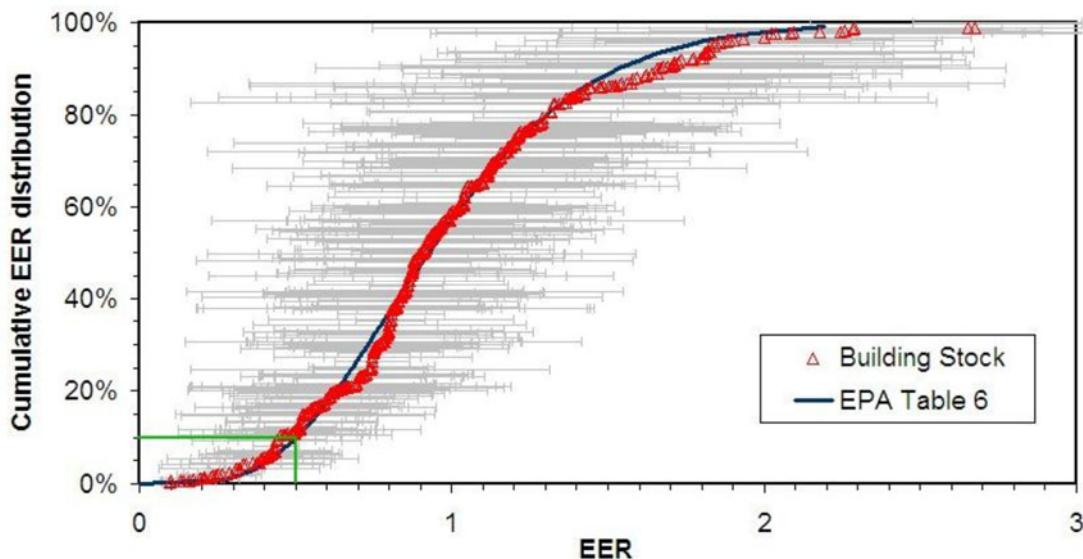


Figure 1. Cumulative EER distribution for the EPA's 2007 office building model. The blue curve is a 2-parameter gamma distribution fit to the data. Horizontal error bars are discussed later in the text.

## Older Models with Regression on $\ln(E)$

Early ENERGY STAR building model regressions used the natural logarithm of the building source energy,  $\ln(E)$ , as the dependent variable. This was the case for Office/Courthouse/Financial Center/Bank, K-12 schools, Supermarket, Hospitals, Hotels, Medical Office, Residence Hall/Dormitory, and Warehouse models, all introduced before 2007. As shown in Figure 2,  $\ln(E)$  has the advantage of being normally distributed in the building stock whereas EUI is not – owing to the fact that EUI cannot be non-negative.<sup>5</sup> This has implications for regression theory as will be discussed in Section 4.

Of the models using  $\ln(E)$  as the regression variable only those for Medical Offices and Residence Hall/Dormitories remain active. Here I discuss the Medical Offices building model. All of the features and problems uncovered for this model are also found in the Residence Hall/Dormitory model.

The EPA's Medical Office model begins by extracting 93 records for medical offices from the 1999 CBECS [EPA Medical, 2004]. The EPA claims to reduce this dataset to 82 records through a series of filters, including the elimination of all buildings less than 5,000 ft<sup>2</sup> in size. I was not able to replicate this result nor, in response to a FOIA request could the EPA supply a list of the buildings in its dataset [FOIA-1, 2013]. Through trial and error, however, I was able to identify the 82-building regression dataset on which the EPA's medical office model

<sup>5</sup> 2003 CBECS data for vacant buildings and records without energy data were removed. Graphs are based on remaining 5059 records representing 4.57 million buildings and 69.3 billion gsf.

is built. This dataset includes 13 buildings with gsf < 5,000 ft<sup>2</sup>, corresponding to 50% of the 87,000 medical offices represented by this dataset [Scofield, 2014].

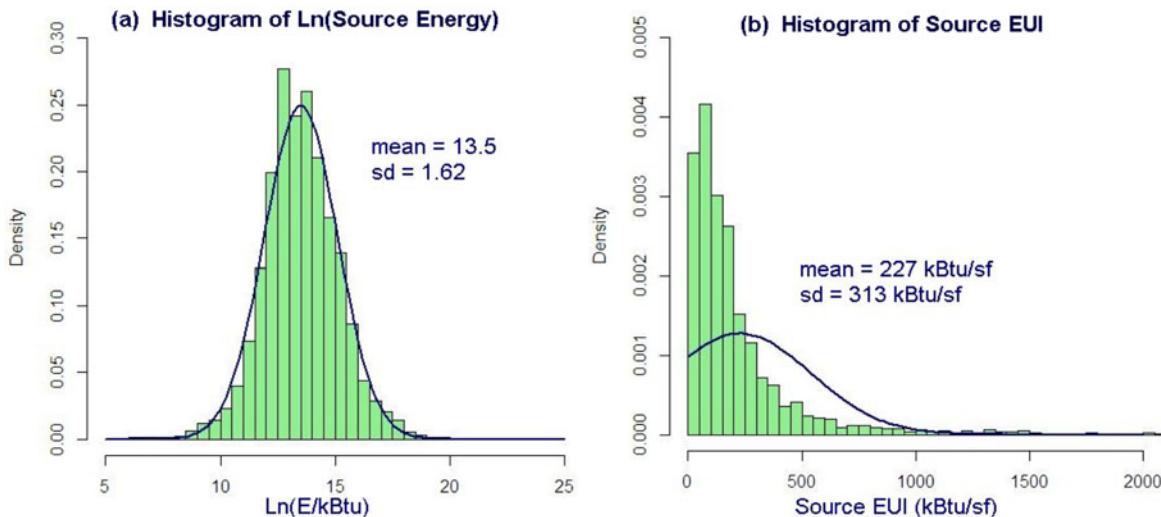


Figure 2. Density histogram of the distribution of (a)  $\ln(E)$  and (b) EUI for all U.S. commercial buildings as captured by the 2003 CBECS. Blue curves represent normal distributions having the same mean and sd as the histograms.  $\ln(E)$  is close to normally distributed while EUI is not.

I have used this dataset to replicate the EPA's un-weighted linear regression on  $\ln(E)$  (the dependent variable) with five independent variables including  $\ln(\text{SqFt})$ . My regression exactly matches that reported by the EPA with an  $R^2$  value of 93% [EPA Medical, 2004].

The regression coefficients extracted were subsequently used to predict the  $\ln(E)$  and calculate the EER for each sampled building in the dataset. These data were then combined with building weights to produce the cumulative EER distribution for the medical office stock, graphed as the open triangles in Figure 3. The EPA, instead, used the EER distribution of just the sampled buildings (solid squares) to calculate ENERGY STAR scores, claiming to fit these data with a 2-parameter gamma distribution (smooth green curve in Figure 3) [EPA Medical, 2004].<sup>6</sup> I was unable to replicate the fit and the EPA was unable to provide details for such a fit [FOIA-2, 2013]. Comparing the solid squares with the open triangles it is seen that, for this model, the two distributions are not significantly different. For other ENERGY STAR building models investigated I have found these differences to be significant.

In general regression coefficients are no more accurate than the underlying data. The EPA publishes standard errors for their regression coefficients but does not further address the impact of these errors on ENERGY STAR scores. This issue has been raised in connection with Office ENERGY STAR scores contained in New York City benchmarking data [Hsu, 2014].

I have employed R-software for my regression analysis and utilized the command "predict.lm(fit,medical.frame,interval="prediction", level=0.682)" to produce standard errors for predicted  $\ln(E)$  values [RProject]. These are then propagated to determine uncertainties in EER, shown as the horizontal error bars in Figure 3.<sup>7</sup> In the middle of the range these error bars

<sup>6</sup> The EPA's describes this process quite differently. The description offered here, however, is mathematically equivalent to that used by the EPA.

<sup>7</sup> Considerable attention has been devoted to the appropriate choice for these error bars. This issue was resolved by performing simulations with data for which successive independent variables added to the regression took the  $R^2$

translate into  $\pm 35$  points uncertainties in the associated ENERGY STAR scores. With such large uncertainties there is no statistically meaningful distinction between an ENERGY STAR score of 75 and one of 50.

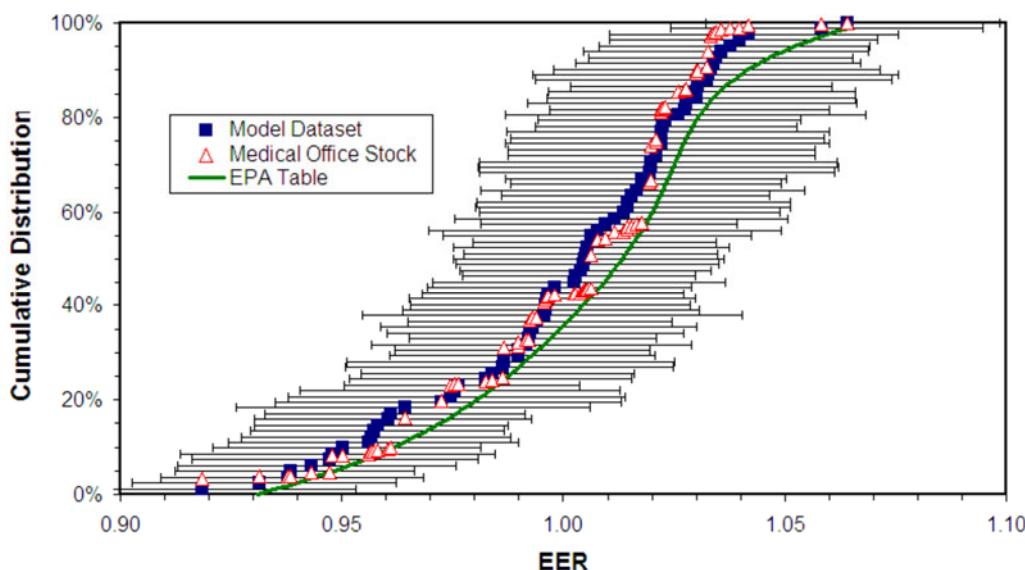


Figure 3. Graph of the medical office cumulative EER distribution for sampled buildings (solid blue squares) and the building stock they represent (open red triangles). The solid green curve represents the EPA's fit to the data used for assigning medical office ENERGY STAR scores. The horizontal bars represent the standard errors (uncertainties) in EER's (see text).

For any regression such as this it is important to consider the reproducibility of the underlying data. Would a similar regression performed on a different 82-sample dataset of medical offices yield similar results? Ideally this question is addressed by performing the same regression on a second independent dataset. This is called external validation. In many cases additional, independent data are simply not available. An alternate approach then is to randomly divide the original dataset into two subsets, and compare regression results for the two subsets. This is called internal validation.

I have used both internal and external validation tests to determine the validity of this model. Data for external validation were obtained from the 2003 CBECS. Both tests found that, of the five independent variables, only  $\ln(\text{SqFt})$  was a reliable predictor of  $\ln(E)$  at the 95% confidence level. The other four variables failed both validation tests, suggesting their observed correlations with  $\ln(E)$  are accidental – unique to this particular 82-building sample rather than reflecting a broader trend in the medical office building stock [Scofield, 2014].

Discussions with staff at the EIA revealed that the EIA did not include statistics for Medical Office buildings in their reports because they judged these data to be insufficiently robust to produce statistics with less than 10% error. This was confirmed by my own calculations of standard relative error (SRE) for the 93 medical office records in the 1999 CBECS data [Scofield, 2014].

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from 0 to 100%. Scatter in the data were consistent with error bars produced by the “prediction” option in the “predict.lm” R-software command not with those produced using the “confidence” switch.

## The Office Model

The most important of the ENERGY STAR building models has always been the Office model – which applies to offices, courthouses, financial centers, and banks [EPA Office, 2007]. The model was introduced in 1999, revised in 2004, and again revised in 2007; the EPA is unable to supply documentation for the 1999 version [FOIA-3, 2013]. The 2004 model regression was built upon 910 records extracted from the 1999 CBECS data [EPA Office, 2003]. The EPA identified nine independent variables as key predictors of  $\ln(E)$ ; the regression on these produced an  $R^2$  of 93%. The 2004 Office model, however, failed to utilize CBECS weights for the cumulative EER distribution so that ENERGY STAR scores issued reflected rank among sampled buildings not the broader office stock. This failure caused significant error in ENERGY STAR scores (discussed below).

In 2007 the EPA revised its Office model [EPA Office, 2007]. Major revisions included 1) switching from  $\ln(E)$  to source EUI as the regression variable, 2) utilizing data from the newer 2003 CBECS, 3) properly utilizing CBECS weights for producing the cumulative EER distribution of the office building stock, and 4) using these same CBECS weights for a weighted regression. Revision (3) corrected a major flaw in the earlier model, but revisions (1) and (4) introduced new errors (discussed below). The revised model performed a weighted linear regression on source EUI from 498 CBECS 2003 records using nine independent variables, including  $\ln(\text{worker density})$  and three variables specific to banks.<sup>8</sup> The model regression yielded a total  $R^2$  value of 33%.<sup>9</sup> In this case the *EER* was defined to be the ratio of the measured source EUI to that predicted by the regression.

The impact of this model revision on ENERGY STAR scores was significant, but would have remained hidden except to EPA staff with access to Portfolio Manager data.<sup>10</sup> Here I assess the impact by comparing scores generated by both models for the same set of office buildings. For this purpose I have replicated the EPA's data filters to extract from CBECS 2003 the Office model dataset consisting of 482 records – identical to the EPA's dataset but lacking the 16 samples that correspond to courthouses.<sup>11</sup> I have used both the EPA's 2004 Office model and its 2007 Office model to generate ENERGY STAR scores for these 482 samples and compared the results. For several buildings ENERGY STAR scores shifted by 35 points or more. The rms-shift in score is 20. While various factors contribute to these shifts in scores it is the correct use of CBECS weights in generating the cumulative EER distribution for the 2007 model that had the biggest effect.<sup>12</sup>

But what of the uncertainties in these scores associated with uncertainties in regression coefficients? As for the Medical Office model discussed earlier I have used R-software to

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<sup>8</sup> The EPA defines banks to be buildings classified in CBECS as Bank/Financial with less than 50,000 gsf.

<sup>9</sup> The EPA's document explains that the lower  $R^2$  value is misleading when compared with that obtained for earlier models because the revised model builds in the dominant scaling of  $\ln(E)$  with  $\ln(\text{Sqft})$  by focusing on EUI (an intensive variable) rather  $\ln(E)$ .

<sup>10</sup> Individual building managers may have seen large changes in the scores of their buildings, but would have remained unaware of the impact on the entire stock.

<sup>11</sup> Courthouses are not specifically identified in the public version of CBECS 2003, so I am not able to identify these records in CBECS. The EIA made these available to the EPA for internal use, but due to security concerns, will not make these identities public; their omission has negligible impact on regression results.

<sup>12</sup> This is readily confirmed by modifying the 2004 Office model to properly utilize CBECS weights in producing the cumulative EER distribution.

replicate the EPA's weighted regression, and subsequently used the regression to predict source EUI for the 482-sample dataset, along with the standard errors in these predicted EUI's. The results are combined with building weights to produce the cumulative EER distribution for the office stock graphed as the open triangles in Figure 1. The curve is indistinguishable from that published by the EPA [EPA Office, 2007]. I have also calculated the uncertainties in the predicted EUI with the intention of propagating these to find uncertainties in the corresponding EER's. A problem emerges. For about 20% of the buildings in the Office model regression dataset the uncertainty in the predicted EUI is larger than the predicted EUI – so that the 1-standard deviation confidence range of EUI includes negative values. This is physically impossible. This pathological behavior is the result of using source EUI rather than  $\ln(E)$  as the regression variable combined with the low  $R^2$  for the regression. EUI data do not satisfy a key assumption required for regression theory, namely that the deviations of measured EUI from predicted EUI are normally distributed.

Nevertheless, to gain some understanding of the uncertainties associated with the EPA's office ENERGY STAR scores I calculate the uncertainties in EER's using only the upper bound for the predicted EUI and, after propagating these errors to EER, use the same error bar on both sides. These are represented by the horizontal error bars in Figure 1. In the middle of the range the corresponding uncertainties in ENERGY STAR scores is similar to that seen for the Medical Office model,  $\pm 35$  points.

I now turn to the error introduced by using CBECS weights in a weighted regression. Weighted regressions are appropriate when the dependent variables for some samples are known to higher accuracy than for others. In such cases it is important to force the regression to come closer to these points since their error bars are smaller [Taylor, 1997]. This is not the case for CBECS samples. CBECS weights indicate the number of similar buildings that a particular sample represents in the larger building stock; they are not indicative of the accuracy of data gathered for a particular sample. Each of the 498 (or 482 w/o courthouses) samples in the office regression dataset represent an equally valid determination of the dependence of EUI on the independent variables. Using CBECS weights to weight the regression incorrectly skews the results. All EPA building models revised or introduced after 2007 suffer from this error.

To understand the impact of the weights in a weighted regression consider the distribution of weights for the Office model dataset, represented by the open black circles in Figure 4.<sup>13</sup> Figure 4 is a graph of the percentage of the total number of buildings N in the represented stock versus the percentage of the number n of records in the model dataset. If all records carried equal weight the resulting graph would be a straight line,  $y = x$ . Instead the graph starts out with a steeper slope reflecting the disproportional weight carried relatively few records. The upper left inset shows the entire range 0-100% while the larger graph expands the scales to see the weight carried by just 20% of the records in each model dataset.

For the office dataset it is apparent that 7% of the model records represent 33% of the building stock, hence carry 33% of the regression weight. Weights increase the importance of the 27 bank records in the model dataset by a factor of three. Weighting the regression effectively reduces the size of the model dataset as the results are determined by relatively fewer buildings. This has even larger impact on other models where the regression datasets have many fewer than 498 samples. It should be noted that the fewer the samples in the *regression dataset* the more susceptible the results are to accidental correlations.

<sup>13</sup> Records are sorted in order of increasing weight.

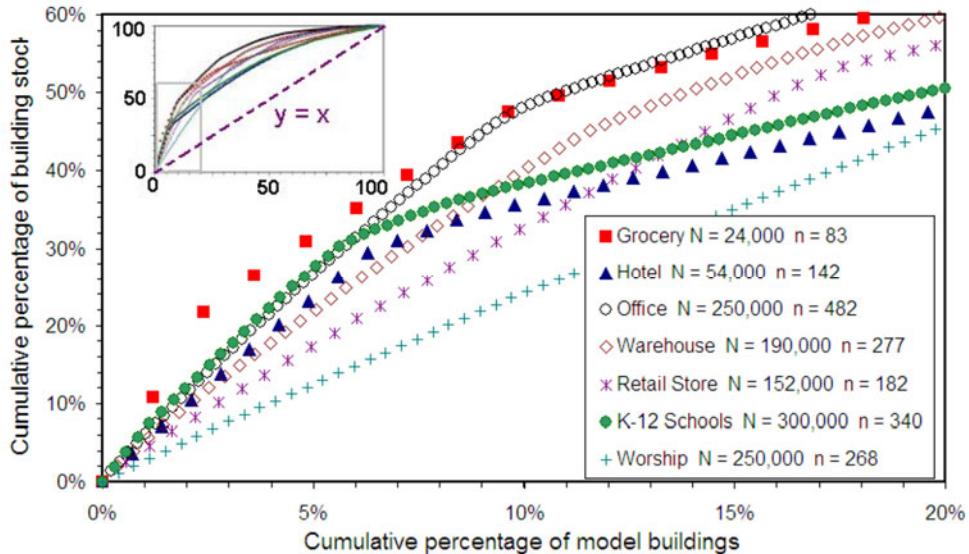


Figure 4. Cumulative weight distributions for the seven post-2007 ENERGY STAR building model datasets based on CBECS (see legend). The inset (upper left) shows the full range while the larger graph expands the lower end of the scale. Each model dataset contains  $n$  samples which collectively represent  $N$  buildings in the larger building stock.

I again reproduced the EPA's 2007 Office model regression, but this time without the weighting. The result of this un-weighted regression is that neither  $\ln(\text{worker density})$  nor any of the three bank variables are significant predictors of EUI. This suggests that these four independent variables should be eliminated from the regression.

In view of the above problems with the 2007 Office model I have decided not to pursue further analysis or modification.

## Other Post-2007 Building Models

The remaining eight building models were developed after 2007. Similar to the 2007 Office model they (1) employ source EUI rather than  $\ln(E)$  as the dependent regression variable and (2) incorrectly utilize survey weights to perform a weighted linear regression. Six of the models (K-12, Hotel, Warehouse, House of Worship, Supermarket/Grocery Store, Retail Store) use CBECS data and CBECS weights. The other two models (Senior Care and Hospital) are built upon data gathered through voluntary surveys conducted by the EPA in collaboration with trade organizations..

The distributions of CBECS weights for the relevant models are graphed in Figure 4. I now consider the effect of weighted regressions on the other building models.

Table 1 summarizes features of the model datasets and regressions used for building models including revision date, data source, number of buildings ( $n$ ) in the regression dataset and the number ( $N$ ) they represent in the stock, and the final  $R^2$  achieved by the weighted regression. Also shown is the number ( $n_{50}$ ) of samples in the regression dataset which, with their associated weights, correspond to 50% of their respective building stocks. These numbers can be determined from graphs in Figure 4. For the Supermarket/Grocery Store model the regression dataset contains  $n = 83$  samples; just 9 of these samples represent half of the buildings in the

stock. If independent variables are identified which strongly correlate with the EUI for just these 9 samples the regression will have an  $R^2$  approaching 50%. Similarly for the Hotel model the total number of samples is 142 with 30 of these samples carrying 50% of the weight.

It is clear that weighted regressions produce different results from un-weighted regressions – in the statistical significance of independent variables, values of regression coefficients, and in predicted EUI, EER's, and ENERGY STAR scores. This has been verified for all 8 of the post-2007 models analyzed. But the consequences are even more serious when combined with the EPA's strategy for deciding which independent variables to use for its regressions.

When engineers and scientists utilize linear regressions they usually have a physical model in mind for which regression coefficients have clear interpretation. The EPA's building models have no such underpinning – they are driven by statistics. Potential choices of independent variables are limited by availability of data. Dozens of different variables and combination of variables are examined (i.e., trial regressions). Only those variables which demonstrate significant correlation are retained in the final building model. For post-2007 models the EPA lists specific variables examined before settling on their final regression model. The last two columns of Table 1 list the number of independent variables explored and retained by the EPA for their various building models.

### **Supermarket Model**

This statistically-driven method for developing regressions – trying lots of variables and keeping those that demonstrate significant correlation – is the mathematical equivalent of “throwing mud at the wall and seeing if any sticks.” This method, particularly when employed with a weighted regression, can produce accidental results – results that appear statistically significant but are based on random correlations.

This problem is most evident for the Supermarket model [EPA Grocery, 2008]. For this model the EPA combined 1999 and 2003 CBECS data to obtain a model regression dataset with 83 records. The EPA then considered at least 17 potential independent regression variables, retaining seven in their final weighted regression to achieve a total  $R^2 = 51\%$  (see Table 1). This process may be represented as follows. First, a spread sheet having 83 rows and 19 columns is assembled, one row for each sampled building. Columns 1 and 2 contain the measured source EUI and weighting factors. Columns 3 through 19 contain potential independent variables to be considered for the regression. Next a weighted multivariate regression is performed on the EUI data with 17 independent variables (columns 3-19). The regression demonstrates that some of the variables are significant predictors of EUI while others are not. A second regression is performed retaining only those variables – in this case seven of them – that previously demonstrated significance.

So the question arises – how much of this correlation is coincidental? If two lists of 83 random numbers are compared there is a chance – though very small – that they will be correlated. The chance of observing accidental correlation is higher when the lists are shorter – say just 18 numbers. And the probability of observing correlation increases with the number of columns of random data. Recall that for this dataset, 9 buildings carry 50% of the total regression weight.

To determine the effect of random coincidences I have assembled a spread sheet with columns 3-19 containing random numbers. The initial weighted regression on all 17 random

variables demonstrated strong correlation for three of these and moderate correlation for a few others. The final weighted regression, performed keeping the seven most significant variables, yielded an  $R^2 = 39\%$ . This is lower than the 51% achieved in the actual EPA model but higher than those achieved for five of the EPA's 11 building models (see Table 1). This random regression model was subsequently used to predict EUI for the 83 grocery store samples, calculate EER's, and produce a cumulative EER graph for the building stock – plotted as open red squares in Figure 5. The solid blue triangles in Figure 5 represent the EER distribution for the actual EPA model and the smooth green curve represents the EPA's gamma fit to their data [EPA Grocery, 2008]. Nothing in Figure 5 suggests that either model is more or less credible than the other. Error bars (omitted for clarity) would be similar in scale to those in Figure 1.

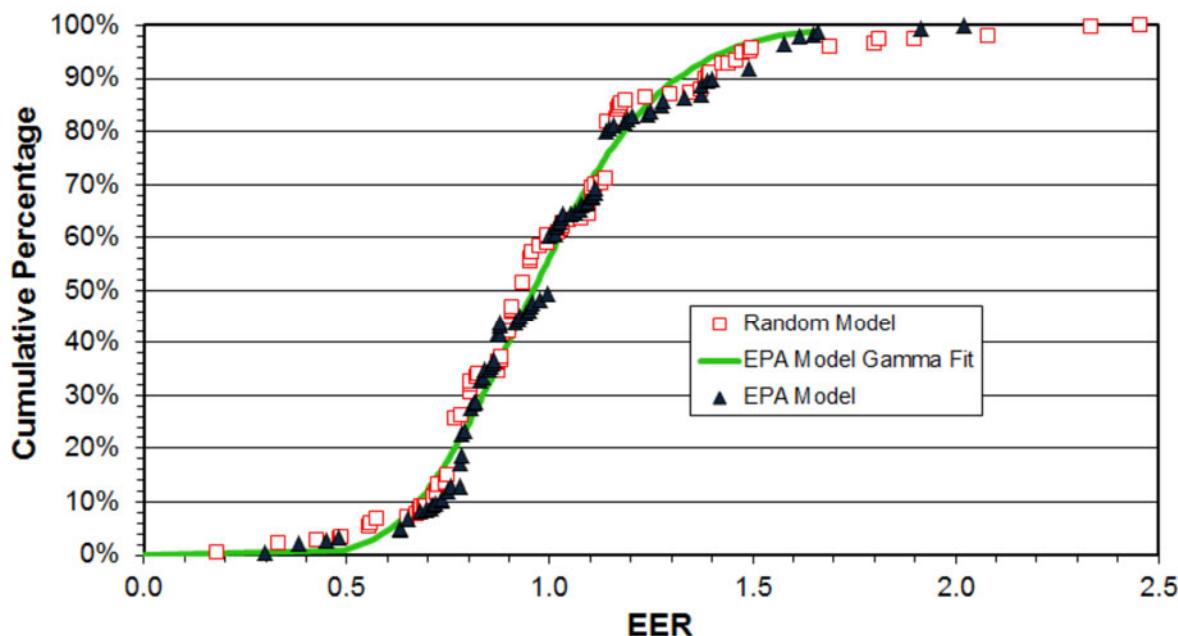


Figure 5. Cumulative EER distribution for the EPA's Supermarket/Grocery Store model (solid triangles) and a model generated from random numbers (open squares). The green curve represents the EPA's 2-parameter gamma distribution fit to their model data.

## K-12 and Hotel Models

Weighted regressions skew the results for other building models as well. For instance, using a weighted regression the EPA has identified 11 independent variables to be significant predictors of EUI for K-12 schools [EPA School, 2009]. Four of these variables apply only to high schools, as the EPA found these buildings to behave differently from other schools. But my own un-weighted regression shows that none of these high school variables are statistically significant. Note that a previous study of 1775 schools in Texas found that energy consumption in high schools was not significantly different from that for other schools [Stimmel and Gohs, 2008].

Another example of such distortion can be found in the Hotel model which includes data for both hotels and motels [EPA Hotel, 2009]. Building physics suggests the drivers of energy consumption for hotels and motels are quite different. The weight of the Hotel *regression dataset* is dominated by motels whereas the total energy consumption and gsf are dominated by hotels.

Removing building weights from the EPA's hotel regression yields significantly different results, particularly when an additional hotel/motel variable is introduced into the regression.

## Discussion and Conclusions

My analysis of the ENERGY STAR models for 10 of the 11 conventional building types demonstrates that the scores produced by these models have uncertainties of  $\pm 35$  points. These uncertainties are consequences of the large standard errors in model regression coefficients. The EPA publishes these standard errors but not does address their impact on ENERGY STAR scores. With such large uncertainties there is little statistical difference between ENERGY STAR scores of 50 and 75 – the first being the presumed average for all US buildings and the second the level required for ENERGY STAR certification.

In the case of the Medical Office and Residence Hall/Dormitory models the existence of newer (2003) CBECS data offered me the opportunity to externally test the validity of these regression models and the data on which they are based. Both models failed these external tests – as they did internal validity tests. And both models are built on data the EIA judges to be insufficiently robust for its own reports. ENERGY STAR scores produced by these two models have little credibility [Scofield, 2014].

CBECS 2012 data soon to be released should provide opportunities to externally validate many of the other ENERGY STAR building models. The EPA model regressions can be carried out on CBECS 2012 building subsets to see whether the variables previously identified by the EPA emerge as significant predictors of EUI and, if so, whether the associated regression coefficients are consistent with those published by the EPA. I expect such comparisons to expose large inconsistencies that cannot be explained by changes in the U.S. building stock.

All nine of the models revised or developed after 2007 are problematic due to the use of EUI as the regression variable and the use of weights in the model regressions. The first problem, combined with low values for total  $R^2$ , leads to violations of assumptions that underpin linear regression theory. The second causes regressions to be inaccurately skewed and highly susceptible to accidental coincidences – a problem that is exacerbated by the EPA's practice of trying regressions with dozens of variables without the guidance of a physical model. This leads to spurious results for many of the building models, two examples being the improper identification of bank variables in the Office model and high school variables in the K-12 model. My demonstration that absolutely random numbers predict Supermarket/Grocery Store source EUI with an  $R^2$  of 39% and produce a cumulative EER curve similar to the one generated by the EPA's actual model casts considerable doubt on the validity of the EPA's methodology.

I also found that the EPA fails to properly document its own methodology. For Medical Offices the EPA's stated data filters are incorrect as is the EPA's claim that it could not model Medical Offices less than 5,000 ft<sup>2</sup> [EPA Medical, 2004]. I also found the EPA's claim to fit the cumulative EER distribution for Medical Offices with a two-parameter gamma distribution not to be credible [EPA Medical, 2004].

Incomplete and/or inaccurate documentation shows up in the EPA's technical documents for other models. Many of the building models exclude buildings less than 5,000 ft<sup>2</sup> in size with explanation, "Analysis could not model behavior for buildings smaller than 5,000 ft<sup>2</sup>" [EPA Medical, 2004; EPA Grocery, 2008; EPA Hotel, 2009; EPA Office, 2007; EPA School, 2009]. The EPA has provided no documentation to defend this claim for any of its building models [FOIA-4, 2013]. Similarly the EPA cannot produce technical documentation for its 1999 Office

model [FOIA-3, 2003]. The 2007 Office model has been revised on several occasions without clear documentation as to what changes were made and when [EPA Office 2007].

Raw building data entered into *Portfolio Manager* are retained, but source EUI and ENERGY STAR scores calculated from these data are not saved. Instead source EUI and ENERGY STAR scores are subsequently calculated using the current building model. In 2007 when the Office model was revised ENERGY STAR scores issued for office buildings years earlier were instantly revised with no retention of the scores originally issued. This practice makes it nearly impossible for anyone to see changes that model revisions have brought about. In short, documentation and record keeping are not consistent with accepted scientific practices.

Given all the above failings there is no justification for quantitative claims of energy savings based on ENERGY STAR scores. Yet the EPA makes such claims – saying that a 6 point rise in average ENERGY STAR scores over four years is evidence that the ENERGY STAR program is saving energy [EPA DataTrend, 2012]. Not only are the scores too uncertain to resolve such differences, but the average ENERGY STAR score for a collection of buildings says nothing about their total energy use without factoring each building's size or total energy use into the calculation.<sup>14</sup> The same criticism applies to USGBC claims of 47% energy savings for LEED-certified buildings based on their ENERGY STAR scores [USGBC PR, 2012].

*Portfolio Manager* provides a useful tool for collecting building energy data for mandatory benchmarking programs adopted by major U.S. cities. But my analysis shows that, ENERGY STAR scores produced by *Portfolio Manager* are inaccurate due to errors in the EPA's methodology and largely uncertain due to the fact that the data on which they are based are woefully inadequate for characterizing the U.S. building stock at the level required for such analysis.

There are several obvious changes required to fix ENERGY STAR scores. First, the EPA needs to return to its pre-2007 practice of non-weighted regressions using  $\ln(E)$  as the dependent regression variable. But this will not be sufficient. The regression dataset must provide far more data that allow building energy to be understood and predicted with  $R^2$  approaching 95%. Regressions need to be guided by building physics, getting at the real drivers of energy use. Once key driving factors are identified they need to be divided into two groups – those that are allowed – nature driven characteristics like outdoor temperature, humidity, and solar insolation – and those that reflect building design/operation choices – like thermal envelope, windows, etc.. The EPA in its 2007 Office model began thinking in this direction when it identified, but chose not to include numbers of refrigerators in its score calculation [EPA Office, 2007]. The task is hugely difficult and may not be attainable.

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<sup>14</sup> Consider just two buildings one with a score of 80 and the other with a score of 40. Their average score is 60. But this tells us nothing about their combined energy use as one building may be huge and the other small – and it surely matters which is which.

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